





Optimizing Proof of Aliveness in Cyber-Physical Systems

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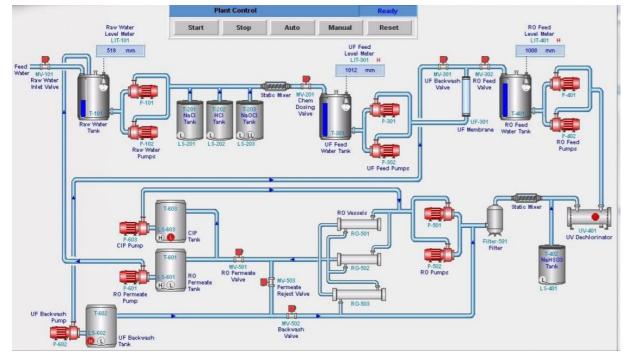
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Published at IEEE IEEE Transactions on Dependable and Secure Computing 2024



Aliveness of devices in cyber-physical systems

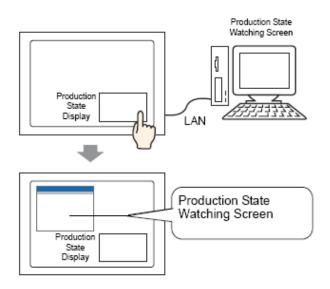
- Aliveness ≈ Continue functioning as designed
- Importance of Aliveness:
 - Work collaboratively
 - Critical components
 - Blackout
 - ° Safety critical components
 - Triton targeting safety instrumented systems (SIS)



CWI

Check the aliveness

- Track the running status of the devices
- Immediately raise alarm, and fix it



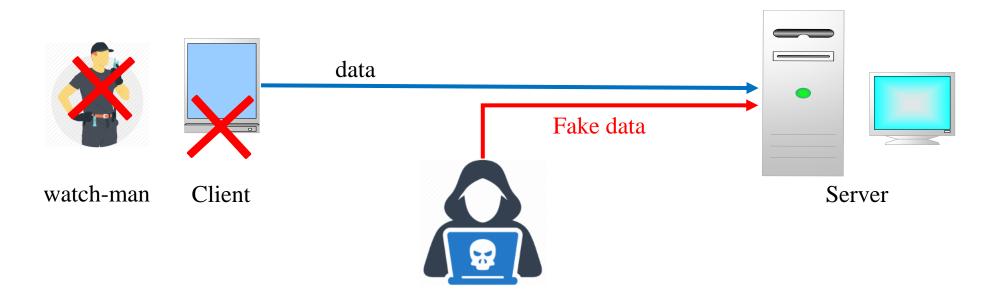


Remote Monitor

On-site check

Challenge in checking the aliveness remotely

• Inject fake data against automatic check



• Hard to identify the death promptly



This work: Proof of Aliveness

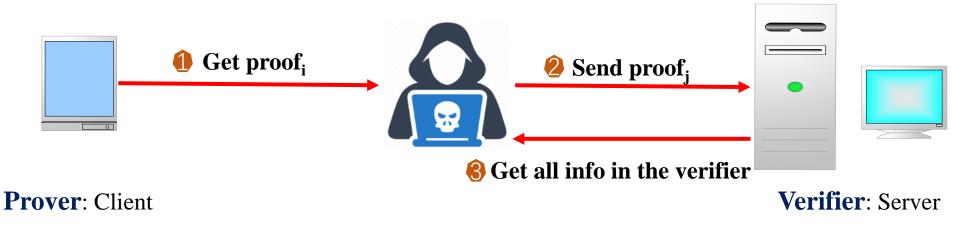
- Cryptographic notion PoA
 - Two-party protocol: prover (client), verifier (server)
 - **Heartbeat pattern**: the prover periodically sends proofs to a verifier with a fixed time interval Δ_s , e.g., every $\Delta_s = 30$ seconds
 - **Dead** if no valid proof within *aliveness tolerance time* T_{att} , e.g., T_{att} =3 minutes





Security model for PoA

- Adversary model: network attacker
 - Eavesdropping, injecting, and replay attack are allowed
 - Server can be compromised



• Security goal: no adversary can forge a valid aliveness proof (especially when the prover is dead)



How to realize PoA

- Digital signature
 - ° Inefficient for resource-constrained devices
- Message authentication code
 - Subject to Server compromise attack
- Time-based one-time password
 - ° Lightweight, rely on hash or one-way function (OWF)
 - ° Server compromise resilience, e.g., T/Key [DMB17]
 - Passwords=Proofs sent in a constant pace, every Δ_s seconds



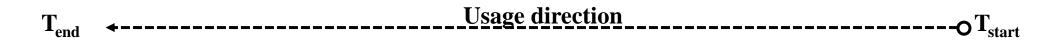
Single-chain PoA Π_{OWF} from [Lam81]

- One-way function **F**: $\{0,1\}^m \rightarrow \{0,1\}^m$
 - Easy to compute F, but very hard to compute F⁻¹
 - One-way function chain: $X_i = F^i(X_0)$, where X_0 is random

$$x_0 \longrightarrow F \longrightarrow x_1 \longrightarrow F \longrightarrow x_2 \longrightarrow F \longrightarrow \dots \longrightarrow x_{N-1} \longrightarrow F \longrightarrow x_N$$

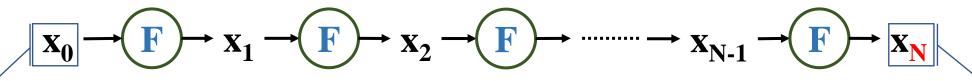
Initial check-secret

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Initial verify-point
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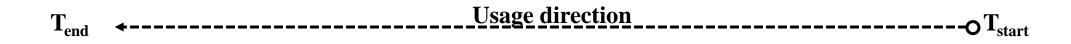


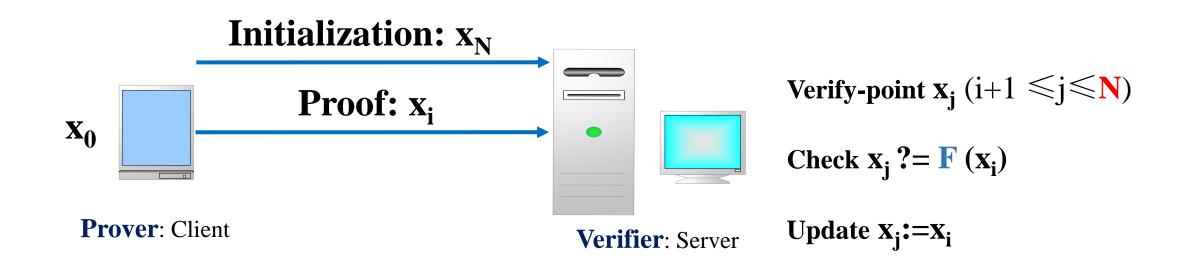
Single-chain PoA Π_{OWF} from [Lam81]



Initial check-secret

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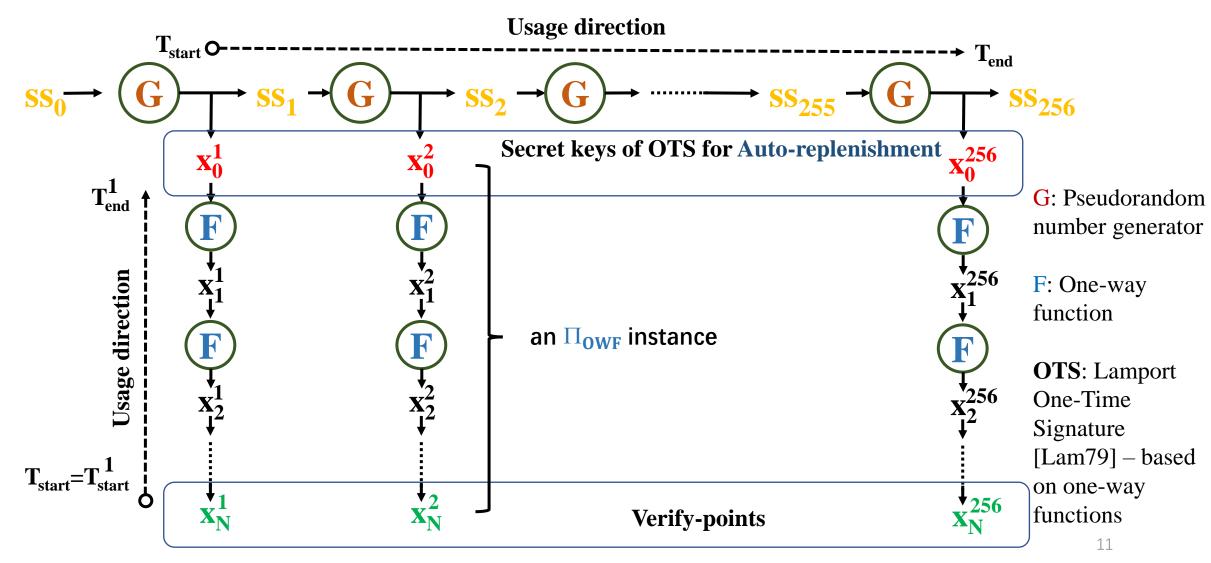


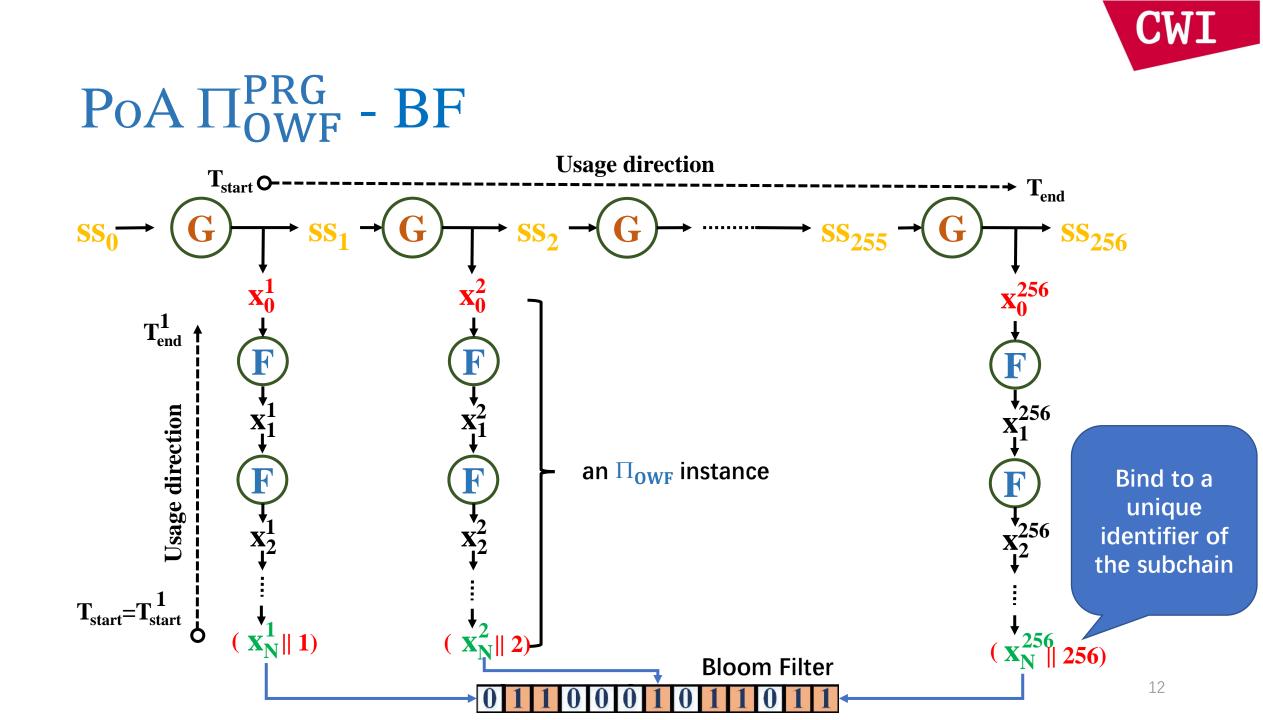
Π_{OWF} : limitation

- Finite number of proofs
 - Does not match with the super long life time of CPS devices
- The total number of proofs N=1 million \rightarrow 1 years with Δ_s =30 seconds intervals
- We need to auto-replenish the proofs by the protocol itself
 - Assuming no long-term/master keys



Multiple-chain PoA Π_{OWF}^{PRG}







Commitment-Based Replenishment

- OTS is secure forever, but can we use something weaker and more efficient?
 - Yes. Hash-based commitment scheme, only secure before the commitment is open.
- 1. When sending X_1 , the prover also sends $H(X_0, New_Instance)$ to the verifier. H is a collision resistant hash function.
- 2. In the end of the life time of the chain, the prover sends X_0 and New_Instance to the verifier
- 3. The verifier verifies X_0 with the known info and then verifies New Instance with $H(X_0, New_Instance)$ received previously.
- This replenishment also works on multi-chain structures

$$x_{0} \xrightarrow{} F \xrightarrow{} x_{1} \xrightarrow{} F \xrightarrow{} x_{2} \xrightarrow{} F \xrightarrow{} x_{N-1} \xrightarrow{} F \xrightarrow{} x_{N}$$

Head node



Optimal Caching Strategy

- Consider a memory sufficient device (more discussion on memory insufficient devices in the paper)
- A memory efficient implementation that minimizes the proof generation time: one F call per proof generation
- Break an N-node chain into \sqrt{N} segments of \sqrt{N} nodes.
- Memory requirement: $2\sqrt{N}$ nodes: \sqrt{N} checkpoints and \sqrt{N} cached nodes
- When the i-th segment is being used in the reverse order, the (i-1)-th segment is being computed in the forward order from its checkpoint and overwrite the proof just used.



Caching Example

Suppose N = 100. Then we need $2\sqrt{N} = 20$ node storage.





Performance evaluation

- Client Raspberry Pi 3, server laptop , $N=2^{22}$ (4 million)
- Random oracle (RO), Hash SHA256, PRG AES-CTR
- Standard model (STD), OWF Subset-sum, PRG [YLW13]

Protocol	Setup	Proof Generation average/worst	Verification	Replenishment	Best on a memory
$\Pi_{\rm OWF}$ STD	185.33 s	44.19 µs / 44.19 µs	4.12 µs	N/A	sufficient prover
$\Pi_{\rm OWF}$ RO - C	15.69 s	3.74 µs / 3.74 µs	0.47 µs	11.22 µs	
$\Pi^{\rm PRG}_{\rm OWF}$ -BF RO	17.11 s	5.50 µs / 18.00 µs	0.47 µs	2.65 ms	
Π^{PRG}_{OWF} -BF STD	192.48 s	45.5 µs / 10.46 ms	4.12 μs	5.28 s	



Summary

- Cryptographic notion of Proof of Alievness
 - ° Security model (not detailed in the talk)
 - New security bounds in the standard model (not discussed in the talk)
- Optimized PoA constructions and implementations
 - ° Reduce the overall chain size: auto-replenishment
 - Minimize the proof generation time: optimal caching strategy
 - ° Reduce the server storage: Bloom filter
 - Reduce the replenishment time: commitment scheme
- ° Performance evaluation on Raspberry Pi.